

Explicit Maths Instruction in the Primary Classroom

MULTIPLICATION FACTS – x3

F

$4 \times 3 = 12$	$6 \times 3 = 18$	$8 \times 3 = 24$
$7 \times 3 = 21$	$2 \times 3 = 6$	$10 \times 3 = 30$
$3 \times 3 = 9$	$9 \times 3 = 27$	$1 \times 3 = 3$
$5 \times 3 = 15$		

$29 \times 3 = 87$	$3 \times 30 = 90$	$300 \times 30 = 9000$
$999 \times 3 = 2,997$	$97 \times 43 = 4,171$	$2,553 \times 3 = 7,659$

SQUARE NUMBERS - EXPONENTS

Th

A **square number** is the product of a number multiplied by itself.

Exponential notation is used to express **square numbers**.

2 is the exponent.

It tells us to multiply 16 by itself.

$$16^2 = 16 \times 16 = 256$$

16 is the base.

VERTICAL MULTIPLICATION ALGORITHM

F

Write the following questions on your whiteboard vertically and solve. Make sure you say the algorithm softly to yourself while you work.

$$\begin{array}{r} 41 \\ a) \quad 58 \\ \times \quad 52 \\ \hline 116 \\ + 2900 \\ \hline 3016 \end{array}$$

$$\begin{array}{r} 56 \\ b) \quad 67 \\ \times \quad 89 \\ \hline 603 \\ + 5360 \\ \hline 5963 \end{array}$$

$$\begin{array}{r} 42 \\ c) \quad 21 \\ \quad 21 \\ \times \quad 964 \\ \hline 3412 \\ 51180 \\ + 767700 \\ \hline 822292 \end{array}$$

David Morkunas
Classroom Teacher

@DaveMorkunas
Bentleigh West Primary School

Session Outline

- About me
- Bentleigh West Primary School background and journey
- Low Variance Curriculum
- Timetable overview
- Standard algorithms for the four operations
- Problem solving and worded problems: CUBES and bar model
- A typical mathematics lesson in Grade 4
- Problem solving
- Daily reviews in Mathematics
- Q&A

About Me

- Worked as a financial auditor for PwC
- Chose to study teaching at 27
- Applied to ~70 schools, eventually landed at BWPS
- Particular passion for teaching maths and the role that memory plays in learning
- Huge nerd

Bentleigh West Primary School

- Previously considered a “coasting” school
- Began moving towards evidence-based instruction in late 2015
- Schools teach biologically **secondary** knowledge
- Explicit Direct Instruction (EDI)
 - Links well to Rosenshine’s Principles of Instruction
 - Checking for Understanding, Obtaining a High Success Rate, Daily Review
 - Aligns to HITS (Multiple Exposures, Questioning)
- Definition of learning: change in long-term memory
 - Kirschner, Sweller, and Clark
 - Multiple exposures required to facilitate this

A Caveat...





Student Outcomes

2022 NAPLAN

Grade 3 Numeracy: **485**

Grade 5 Numeracy: **556**

66% of Grade 5 students achieved scores in the top 2 bands

4% of Grade 5 students scored in the bottom 2 bands

Low Variance Curriculum

- Developed at the end of the 2017 school year; rolled out first in 2018
- Allows teachers to focus on **how** to teach, not what to teach
- Minimises variance in instruction

Week	Number and Algebra	Number and Algebra	Statistics and Probability OR Measurement and Geometry	Worded Problems/Problem Solving
T1W1	Read (review) and order numbers to 5 digits (worksheet/presentation practice) Order 5-digit numbers in ascending and descending order	Greater than, less than Compare values using greater than and less than symbol.	L1: read analogue clocks to the nearest second	No Lesson
T1W2	L1: read and model 6 digits numbers and their place value	L1: order 6-digit numbers in ascending and descending order.	L1: convert between 12 and 24 hour time	Review Part/Part/Whole bar model (subtraction and addition). Use flow chart.
T1W3	L1: solve 5-digit addition problems with renaming using the vertical algorithm	L1: order 6-digit numbers on number lines	L1: select appropriate units to measure capacity	Review Part/Part/Whole bar model (multiplication and division). Use flow chart.
T1W4	L1: solve 5-digit subtraction problems with renaming using the vertical algorithm	L1: solve 2x2 digit multiplication using the area method.	L1: convert between units of measurement using place value (mass).	<u>3/4 Maths Model Drawing 2.11</u> Example Ben has twice as many stickers as Jim. Ken has 65 more stickers than Ben. The three boys have 945 stickers altogether. How many stickers does Ken have? https://youtu.be/iaCH4R1j7ew SBM Unit A – Lesson 1
T1W5	L1: Solve 5-digit subtraction problems with internal zeroes	L1: solve 2x2-digit multiplication problems using the vertical algorithm Needs to be a 2x1-digit lesson next year	Select appropriate units of length Convert between units of measurement using place value (length).	<u>3/4 Maths Model Drawing 2.12</u> Example Ben has twice as many stickers as Jim. Ken has 85 fewer stickers than Ben. The three boys have 945 stickers altogether. How many stickers does Ken have? https://youtu.be/gmg4VsGFUs SBM Unit A – Lesson 2

Timetable

90 mins of Mathematics daily

Maths Review (30 mins)

- wide selection of previously-taught material
- used principles of spaced, interleaved, and retrieval practice
- PPT used from Monday to Thursday, independent maths quiz on Friday

New Waves Mental Maths (15 mins)

- From Monday to Wednesday this is teacher-modelled
- On Thursday and Friday, students complete independently

Maths Lesson (45 mins)

- New content (as per LVC)
- Monday and Wednesday: Number & Algebra
- Tuesday: Problem Solving (bar model)
- Thursday: Measurement & Geometry **or** Statistics & Probability
- Friday: Reteach

Timetable

Monday	Tuesday	Wednesday	Thursday	Friday
Maths Review PPT 30 mins	Maths Review PPT 30 mins	Maths Review PPT 30 mins	Maths Review PPT 30 mins	Independent Maths Quiz 30 mins
New Waves Mental Maths Teacher-led, 15 mins	New Waves Mental Maths Teacher-led, 15 mins	New Waves Mental Maths Teacher-led, 15 mins	New Waves Mental Maths Independent, 15 mins	New Waves Mental Maths Independent, 15 mins
New Lesson Number & Algebra 45 mins	New Lesson Problem Solving 45 mins	New Lesson Number & Algebra 45 mins	New Lesson M&G or S&P 45 mins	Reteach 45 mins

Standard algorithms for the four operations

- Booker text and Dr. Stephen Norton videos
- Provide a scaffold for students
- Place value language is heavily embedded
- Requires students to have experience with renaming
- Scalable; can still be used to solve complex problems

VERTICAL ADDITION WITH RENAMING

With renaming:

Always start with the place furthest to the right.

"1 hundred and 5 tens equals 6 tens."
"6 ones add 6 ones equals 12 ones."
4 hundreds add 3 hundreds equals 7 hundreds."

"Rename as 1 hundred and 0 tens."

Write the ones in the ones column.

Write the tens in the tens column.

Move to the hundreds.

The answer is 702.

$$\begin{array}{r} 11 \\ 356 \\ + 346 \\ \hline 702 \end{array}$$

VERTICAL SUBTRACTION ALGORITHM

With renaming:

Always start with the place furthest to the right.

"I have 7 tens, can I take away 4 tens?" "Hundreds?"

"No, **RENAME!**"

"Renamed 1 hundred as 10 tens. 4 tens equals 4 hundreds."

"Now I have 12 tens, can I take away 4 tens?"

"Yes, **DO IT!**"

"12 tens take away 4 tens equals 8 tens."

Subtract the hundreds.

$$\begin{array}{r} 71215 \\ - 835 \\ \hline 347 \\ \hline 488 \end{array}$$

VERTICAL MULTIPLICATION ALGORITHM

2 by 2 digit:

We start with the bottom-right digit.

Step 3: Multiply the ~~tens~~ by the ~~ones~~.

~~"3 tens multiplied by 6 ones equals 24 tens."~~

"Rename as 2 tens, 4 ones."

Step 4: Multiply the ~~tens~~ by the ~~tens~~.

~~"3 tens multiplied by 3 tens equals 9 hundreds."~~

"Add 2 hundreds equals 14 hundreds."

Add the two numbers to get our final answer.
Add our big fat zero.

Our answer is 1548.

$$\begin{array}{r} \cancel{2} \cancel{1} \\ 36 \\ \times 43 \\ \hline 108 \\ + 1440 \\ \hline 1548 \end{array}$$

LONG DIVISION

Step 1 – Divide

“Can 9 tens be shared among 4?”

“Yes.”

“How many would each share receive?”

2 tens. Put this 2 in your answer.

Step 2 – Multiply

“How many tens have been shared out?”

$2 \times 4 = 8$

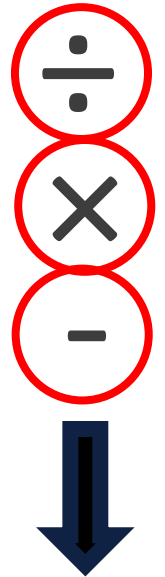
Step 3 – Subtract

“How many tens are left?”

$9 - 8 = 1$

Step 4 – Drag Down

$$\begin{array}{r} 23 \text{ r}1 \\ 4 \overline{) 93} \\ \underline{- 8} \\ 13 \\ \underline{- 12} \\ 1 \end{array}$$



Repeat these four steps until you have arrived at your answer.



Problem Solving

- CUBES and Singapore Bar Model approach
- Framework to deconstruct questions
- Useful scaffold for those with reading difficulties
- Worked examples

CUBES

Circle the key numbers,

Underline the question,

Box any maths action words,

Evaluate and draw,

Solve and check.

Adam had 3 ants. Bec had 5 ants.

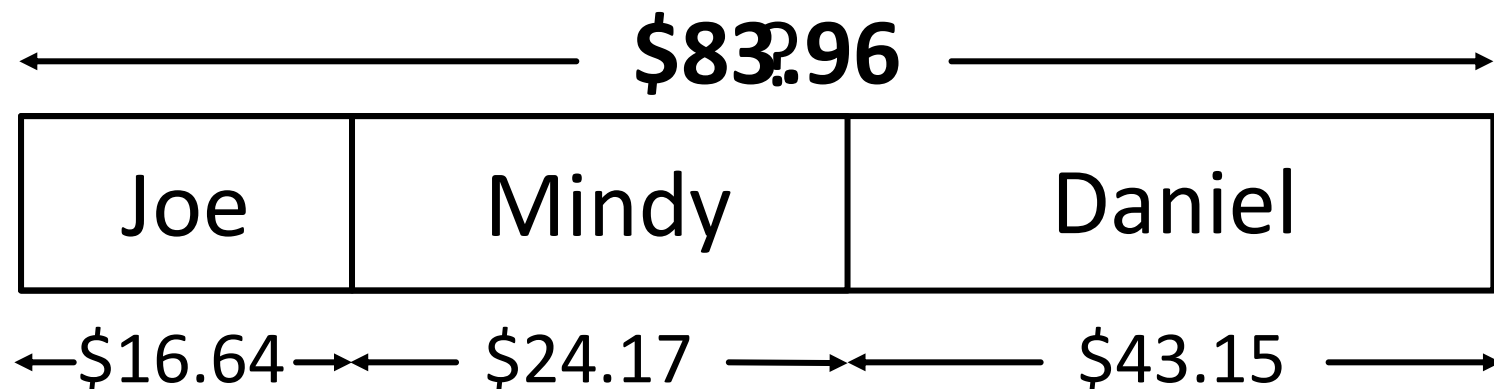
How many ants did they have in total?

$$3 + 5 = 8$$

We use **CUBES** to solve worded problems.

Joe's meal cost \$16.64. Mindy's meal cost \$24.17.
Daniel's meal cost \$43.15. What was the total cost of the three meals?

Circle the key numbers,
Underline the question,
Box any maths action words,
Evaluate and draw,
Solve and check.



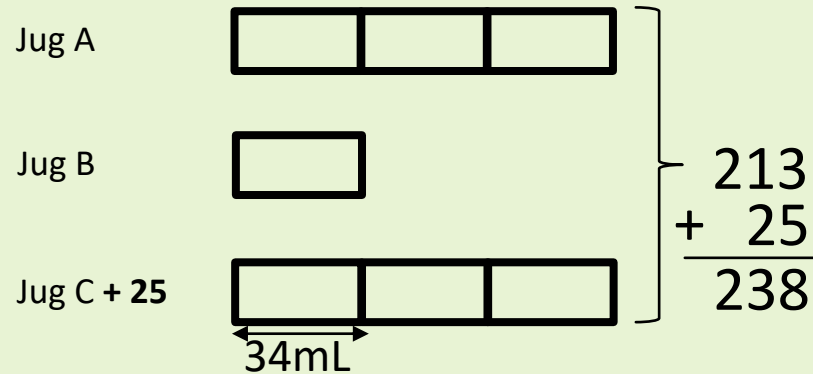
We have the **parts**, now we need to calculate the **whole**.

$$\begin{array}{r} 11\ 1 \\ \$\ 16.64 \\ \$\ 24.17 \\ +\ \$\ 43.15 \\ \hline \$\ 83.96 \end{array}$$

The meal cost **\$83.96** in total.

Worked Example

Jug A contained three times as much olive oil as Jug B. Jug C contained 25mL less olive oil than Jug A. If the three jugs contained a total of 213mL of olive oil, how much did Jug C contain?



Step 1: Add the “fewer” onto the total.

7 equal parts equal 238mL.

Step 2: Calculate the value of 1 equal part.

1 equal part equals 34mL.

Step 3: Calculate Jug C’s total.

Step 4: Subtract the 25mL extra to get the total.

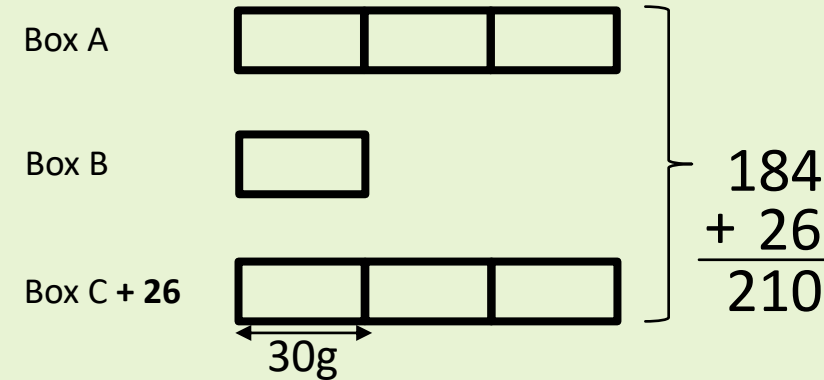
Jug C contained 77mL of olive oil.

$$\begin{array}{r}
 34 \\
 7 \overline{) 238} \\
 \underline{21} \\
 28 \\
 \underline{21} \\
 70 \\
 \underline{70} \\
 0
 \end{array}$$

$$\begin{array}{r}
 34 \\
 \times 3 \\
 \hline
 102 \\
 \hline
 102 \\
 - 25 \\
 \hline
 77
 \end{array}$$

Your Turn

Box A contained three times as much sugar as Box B. Box C contained 26g less sugar than Box A. If the three boxes contained a total of 184g of sugar, how much did Box C contain?



Step 1: Add the “fewer” onto the total.

Step 2: Calculate the value of 1 equal part.

Step 3: Calculate Box C’s total.

Step 4: Subtract the 26g extra to get our answer.

Box C contained 64g of sugar.

$$\begin{array}{r}
 30 \\
 7 \overline{) 210} \\
 \underline{21} \\
 0
 \end{array}$$

$$\begin{array}{r}
 30 \\
 \times 3 \\
 \hline
 90 \\
 \hline
 90 \\
 - 26 \\
 \hline
 64
 \end{array}$$

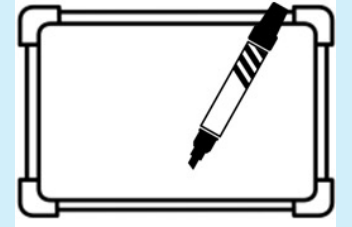
GRADE 4 – NUMBER & ALGEBRA

LEARNING INTENTION:

Use short division to solve problems with remainders



Solve these questions on your whiteboard.



$$\begin{array}{r} 15 \text{ r}2 \\ 3 \overline{) 47} \\ \underline{- 3} \\ 17 \\ \underline{- 15} \\ 2 \end{array}$$

$$\begin{array}{r} 260 \text{ r}1 \\ 3 \overline{) 781} \\ \underline{- 6} \\ 18 \\ \underline{- 18} \\ 01 \\ \underline{- 0} \\ 1 \end{array}$$

$$\begin{array}{r} 662 \text{ r}1 \\ 6 \overline{) 3973} \\ \underline{- 36} \\ 37 \\ \underline{- 36} \\ 13 \\ \underline{- 12} \\ 1 \end{array}$$

You learned the **long division** algorithm a couple of weeks ago. Today we will cover the **short division** algorithm, which is a quicker way of solving these problems.

This is how we set up a division question.

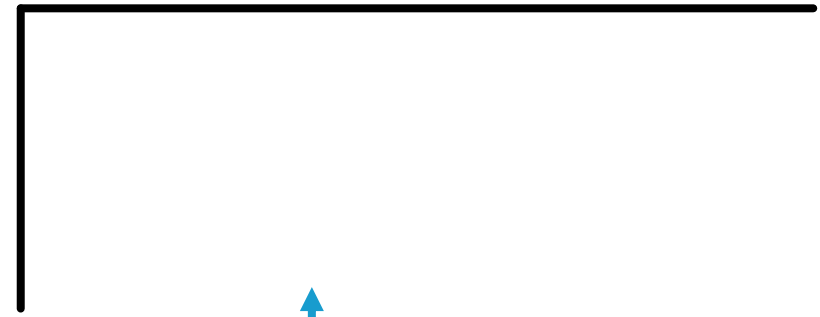
This is the **divisor**. It is the number that we are dividing our dividend by.

$$86 \div 3$$



This is our answer. It is called the **quotient**.

$$28 \text{ r } 2$$



This is the **dividend**. It's the starting number that we want to divide.

Short division is very similar to long division.

The main difference is that we do some of the steps **in our heads**.

$$\begin{array}{r}
 259 \text{ r}2 \\
 3 \overline{) 779}
 \end{array}$$

Can we share 7 hundreds among 3?

YES, DO IT!

How many hundreds will each share receive?

2

How many hundreds remain?

1

We began with 7 hundreds and we've shared 6 of them (3 x 2), so there is 1 left.

YES, DO IT!

How many tens remain?

5

Can we share 29 ones among 3?

YES, DO IT!

How many ones will each share receive?

9

How many ones remain?

2

Short division is very similar to long division.

The main difference is that we do some of the steps **in our heads**.



$$\begin{array}{r} 47\text{ r}3 \\ 5 \overline{) 238} \\ \underline{20} \\ 38 \\ \underline{35} \\ 3 \end{array}$$

Can we share 2 hundreds among 5?

NO, RENAME!

Can we share **23** tens among 5?

YES, DO IT!

How many tens will each share receive?

4

How many tens remain?

3

Can we share 38 ones among 5?

YES, DO IT!

How many ones will each share receive?

7

How many ones remain?

3

Short division is very similar to long division.

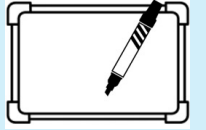
The main difference is that we do some of the steps **in our heads**.



$$\begin{array}{r}
 2284 \text{ r}3 \\
 4 \overline{) 91319}
 \end{array}$$

- | | |
|---|-------------|
| Can we share 9 thousands among 4? | YES, DO IT! |
| How many thousands will each share receive? | 2 |
| How many thousands remain? | 1 |
| Can we share 11 hundreds among 4? | YES, DO IT! |
| How many hundreds will each share receive? | 2 |
| How many hundreds remain? | 3 |
| Can we share 33 tens among 4? | YES, DO IT! |
| How many tens will each share receive? | 8 |
| How many tens remain? | 1 |
| Can we share 19 ones among 4? | YES, DO IT! |
| How many ones will each share receive? | 4 |
| How many ones remain? | 3 |

Solve the following questions on your whiteboard.



a) $33 \div 2$

$$\begin{array}{r} 16 \text{ r}1 \\ 2 \overline{) 33} \\ \underline{33} \\ 0 \end{array}$$

b) $619 \div 4$

$$\begin{array}{r} 154 \text{ r}3 \\ 4 \overline{) 619} \\ \underline{620} \\ \end{array}$$

c) $6523 \div 7$

$$\begin{array}{r} 931 \text{ r}6 \\ 7 \overline{) 6523} \\ \underline{6523} \\ 0 \end{array}$$

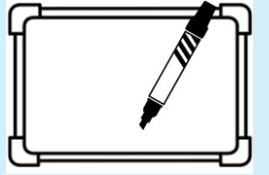
d) $32687 \div 13$

$$\begin{array}{r} 2514 \text{ r}3 \\ 13 \overline{) 32687} \\ \underline{32687} \\ 0 \end{array}$$

So why are we learning this?

- **Short division** is a much quicker algorithm to use when compared with **long division**. Getting comfortable with this will save a lot of time when solving division problems!

Solve the following questions on your whiteboard.



a) $57 \div 4$

$$\begin{array}{r} 14 \text{ r}1 \\ 4 \overline{) 57} \end{array}$$

b) $871 \div 5$

$$\begin{array}{r} 174 \text{ r}1 \\ 5 \overline{) 871} \end{array}$$

a) $31 \div 2$

$$\begin{array}{r} 15 \text{ r}1 \\ 2 \overline{) 31} \\ \underline{31} \\ 0 \end{array}$$

b) $74 \div 5$

$$\begin{array}{r} 14 \text{ r}4 \\ 5 \overline{) 74} \\ \underline{50} \\ 24 \\ \underline{20} \\ 4 \end{array}$$

c) $73 \div 3$

$$\begin{array}{r} 24 \text{ r}1 \\ 3 \overline{) 73} \\ \underline{60} \\ 13 \\ \underline{9} \\ 3 \end{array}$$

d) $573 \div 4$

$$\begin{array}{r} 143 \text{ r}1 \\ 4 \overline{) 573} \\ \underline{40} \\ 17 \\ \underline{16} \\ 13 \\ \underline{12} \\ 1 \end{array}$$

e) $738 \div 5$

$$\begin{array}{r} 147 \text{ r}3 \\ 5 \overline{) 738} \\ \underline{50} \\ 23 \\ \underline{20} \\ 38 \\ \underline{35} \\ 3 \end{array}$$

f) $754 \div 3$

$$\begin{array}{r} 251 \text{ r}1 \\ 3 \overline{) 754} \\ \underline{60} \\ 15 \\ \underline{15} \\ 4 \end{array}$$

g) $812 \div 7$

$$\begin{array}{r} 116 \\ 7 \overline{) 812} \\ \underline{70} \\ 11 \\ \underline{7} \\ 42 \\ \underline{28} \\ 14 \\ \underline{14} \\ 0 \end{array}$$

h) $9354 \div 8$

$$\begin{array}{r} 1169 \text{ r}2 \\ 8 \overline{) 9354} \\ \underline{80} \\ 13 \\ \underline{8} \\ 55 \\ \underline{40} \\ 14 \\ \underline{8} \\ 6 \end{array}$$

i) $5371 \div 6$

$$\begin{array}{r} 895 \text{ r}1 \\ 6 \overline{) 5371} \\ \underline{48} \\ 53 \\ \underline{48} \\ 57 \\ \underline{48} \\ 71 \\ \underline{60} \\ 11 \end{array}$$

j)* $37849 \div 12$

$$\begin{array}{r} 3154 \text{ r}1 \\ 12 \overline{) 37849} \\ \underline{36} \\ 18 \\ \underline{12} \\ 64 \\ \underline{60} \\ 49 \\ \underline{36} \\ 13 \end{array}$$

k)* $75899 \div 14$

$$\begin{array}{r} 5421 \text{ r}5 \\ 14 \overline{) 75899} \\ \underline{70} \\ 58 \\ \underline{56} \\ 29 \\ \underline{28} \\ 19 \\ \underline{14} \\ 5 \end{array}$$

l)* $819057 \div 23$

$$\begin{array}{r} 35611 \text{ r}4 \\ 23 \overline{) 819057} \\ \underline{69} \\ 129 \\ \underline{115} \\ 140 \\ \underline{138} \\ 25 \\ \underline{23} \\ 27 \\ \underline{23} \\ 4 \end{array}$$

m)* $657984 \div 41$

$$\begin{array}{r} 16048 \text{ r}16 \\ 41 \overline{) 657984} \\ \underline{41} \\ 247 \\ \underline{206} \\ 419 \\ \underline{408} \\ 84 \\ \underline{80} \\ 4 \end{array}$$

n)* $917702 \div 64$

$$\begin{array}{r} 14339 \text{ r}6 \\ 64 \overline{) 917702} \\ \underline{64} \\ 277 \\ \underline{256} \\ 210 \\ \underline{192} \\ 180 \\ \underline{160} \\ 202 \\ \underline{192} \\ 10 \end{array}$$

o)* $8499657 \div 75$

$$\begin{array}{r} 113328 \text{ r}57 \\ 75 \overline{) 8499657} \\ \underline{75} \\ 94 \\ \underline{75} \\ 199 \\ \underline{150} \\ 496 \\ \underline{375} \\ 1215 \\ \underline{937} \\ 278 \end{array}$$

p)* $999888777 \div 137$

$$\begin{array}{r} 7298458 \text{ r}31 \\ 137 \overline{) 999888777} \\ \underline{95} \\ 49 \\ \underline{41} \\ 88 \\ \underline{81} \\ 77 \\ \underline{70} \\ 77 \\ \underline{70} \\ 77 \\ \underline{70} \\ 7 \end{array}$$

Daily Reviews

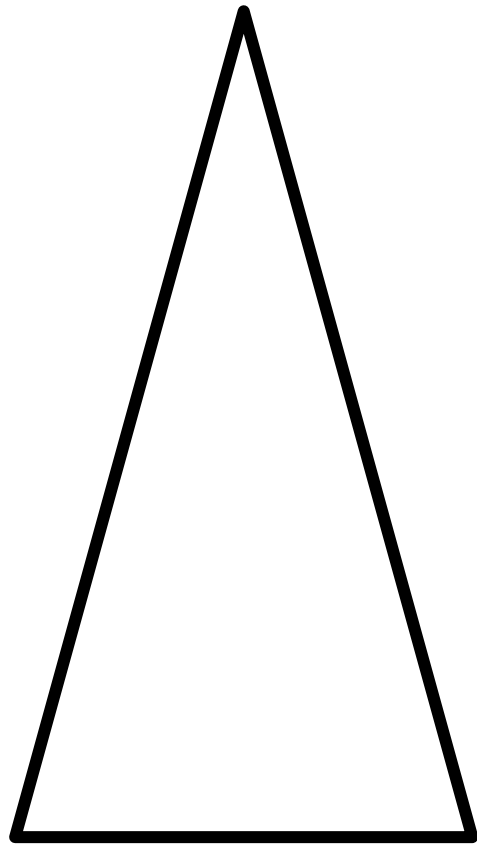
- Teaching a skill/concept once doesn't lead to mastery
- Regular review/multiple exposures help transfer knowledge to long-term memory
- Heavily supported by research
- Mini whiteboards
- Fast pace
- Great opportunity for formative assessment

UNITS OF MEASUREMENT

km

kilometres

2D SHAPES



scalene
triangle

UNITS OF TIME

minutes in
an hour

60

COMPASS DIRECTIONS



Northeast

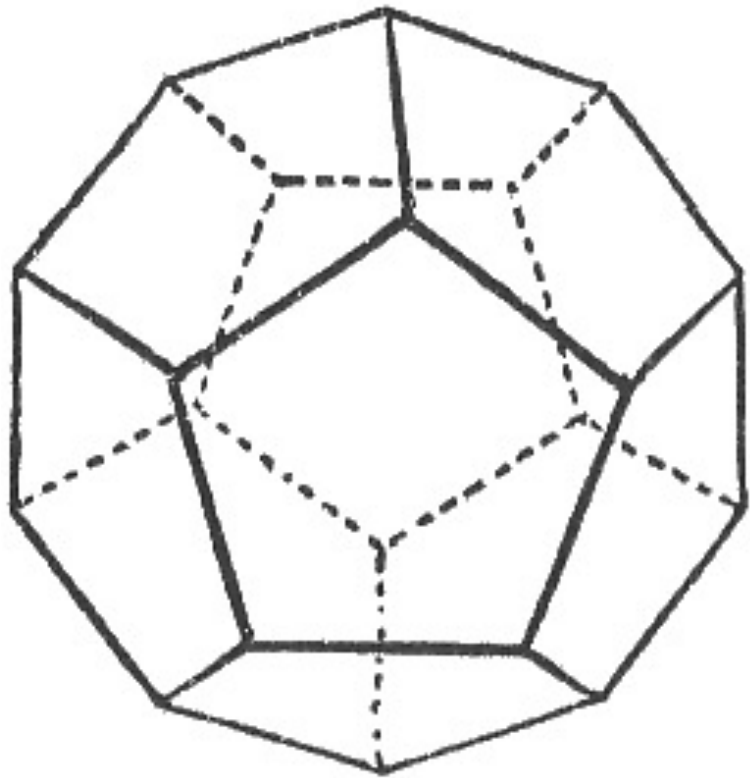
NE

MEASUREMENT CONVERSIONS

Sides on a pentagon?

5

3D SOLIDS



dodecahedron

UNITS OF TIME

years in a
millenium

1000



Month after February?

March

MULTIPLICATION FACTS – x8

E

$$1 \times 8 = 8$$

$$6 \times 8 = 48$$

$$2 \times 8 = 16$$

$$7 \times 8 = 56$$

$$3 \times 8 = 24$$

$$8 \times 8 = 64$$

$$4 \times 8 = 32$$

$$9 \times 8 = 72$$

$$5 \times 8 = 40$$

$$10 \times 8 = 80$$

MULTIPLICATION FACTS – x8



$1 \times 8 = 8$

$3 \times 8 = 24$

$6 \times 8 = 48$

$10 \times 8 = 80$

$7 \times 8 = 56$

$8 \times 8 = 64$

$2 \times 8 = 16$

$5 \times 8 = 40$

$9 \times 8 = 72$

$4 \times 8 = 32$

$18 \times 8 = 144$

$5 \times 80 = 400$

$60 \times 80 = 4,800$

$385 \times 8 = 3,080$

$66 \times 38 = 2,508$

$139 \times 8 = 1,112$

SKIP COUNTING BY 8s



Let's skip count
backwards by 8s,
starting from 80.

1	2	3	4	5	6	7	8	9	10
11	12	13	14	15	16	17	18	19	20
21	22	23	24	25	26	27	28	29	30
31	32	33	34	35	36	37	38	39	40
41	42	43	44	45	46	47	48	49	50
51	52	53	54	55	56	57	58	59	60
61	62	63	64	65	66	67	68	69	70
71	72	73	74	75	76	77	78	79	80
81	82	83	84	85	86	87	88	89	90
91	92	93	94	95	96	97	98	99	100

FACT FAMILIES

$$5 \times 8 = 40$$

FACT FAMILIES

$$7 \times 8 = 56$$

VERTICAL ADDITION WITH RENAMING

F

Write the following questions on your whiteboard vertically and solve. Make sure you say the algorithm softly to yourself while you work.

$$\begin{array}{r} 11 \\ a) \ 575 \\ + 687 \\ \hline 1262 \end{array}$$

$$\begin{array}{r} 11 \\ b) \ 4.63 \\ + 3.89 \\ \hline 8.52 \end{array}$$

$$\begin{array}{r} 21 \\ c) \ 845 \\ + 667 \\ + 997 \\ \hline 2509 \end{array}$$

$$\begin{array}{r} 1 \ 11 \\ d) \ 8.637 \\ + 5.884 \\ \hline 14.521 \end{array}$$

SUBTRACTION ACROSS ZERO

F

Write the following questions on your whiteboard vertically and solve.
Make sure you say the algorithm softly to yourself while you work.

$$\begin{array}{r} 2911 \\ a) \quad \cancel{301} \\ - 167 \\ \hline 134 \end{array}$$

$$\begin{array}{r} 4913 \\ b) \quad \cancel{503} \\ - 327 \\ \hline 176 \end{array}$$

$$\begin{array}{r} 710 \\ c) \quad \cancel{80.9} \\ - 55.7 \\ \hline 25.2 \end{array}$$

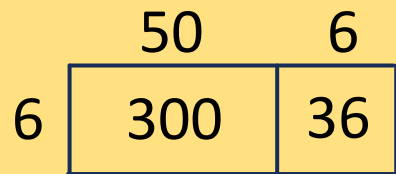
$$\begin{array}{r} 611.915 \\ d) \quad \cancel{72.05} \\ - 45.68 \\ \hline 26.37 \end{array}$$

MULTIPLICATION – AREA MODEL

Th

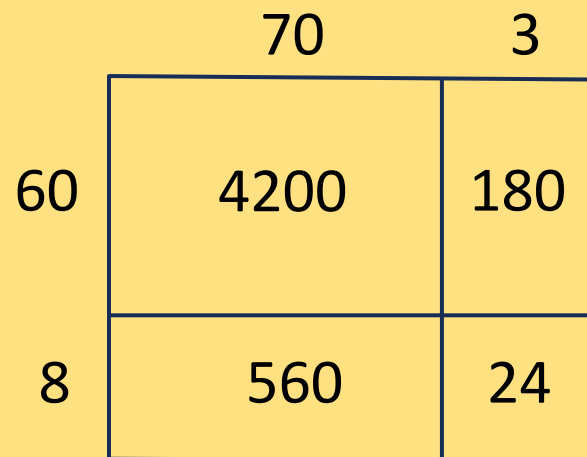
Solve these questions using the area model.

a) $56 \times 6 = 336$



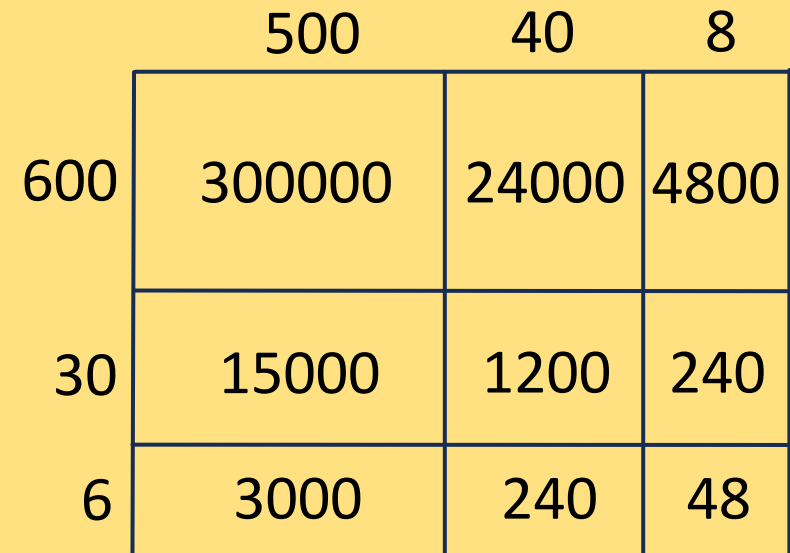
$$\begin{array}{r} 300 \\ + 36 \\ \hline 336 \end{array}$$

b) $73 \times 68 = 4964$



$$\begin{array}{r} 1 \\ 4200 \\ 180 \\ + 560 \\ \quad 24 \\ \hline 4964 \end{array}$$

c) $548 \times 636 = 448528$



$$\begin{array}{r} 111 \\ 300000 \\ 24000 \\ 4800 \\ 15000 \\ 1200 \\ 240 \\ 3000 \\ 240 \\ + 48 \\ \hline 448528 \end{array}$$

SHORT DIVISION

F

Solve the following problems using **short division**.

a) $4396 \div 3$

$$\begin{array}{r} 1465 \text{ r}1 \\ 3 \overline{) 4396} \\ \underline{4} \\ 13 \\ \underline{12} \\ 19 \\ \underline{21} \\ 16 \end{array}$$

b) $573 \div 6$

$$\begin{array}{r} 95 \text{ r}3 \\ 6 \overline{) 573} \\ \underline{5} \\ 73 \\ \underline{72} \\ 3 \end{array}$$

c) $49624 \div 7$

$$\begin{array}{r} 7089 \text{ r}1 \\ 7 \overline{) 49624} \\ \underline{4} \\ 9 \\ \underline{7} \\ 19 \\ \underline{14} \\ 62 \\ \underline{56} \\ 64 \\ \underline{63} \\ 1 \end{array}$$

d) $758476 \div 37$

$$\begin{array}{r} 20499 \text{ r}13 \\ 37 \overline{) 758476} \\ \underline{7} \\ 5 \\ \underline{5} \\ 8 \\ \underline{75} \\ 18 \\ \underline{18} \\ 36 \\ \underline{35} \\ 14 \\ \underline{133} \end{array}$$

MIXED NUMBERS → IMPROPER FRACTIONS

M

Convert the following mixed numbers into improper fractions.

$$\text{a) } 4 \frac{1}{3} = \frac{13}{3}$$

$$\text{d) } 7 \frac{5}{9} = \frac{68}{9}$$

$$\text{b) } 6 \frac{1}{2} = \frac{13}{2}$$

$$\text{e) } 13 \frac{7}{12} = \frac{163}{12}$$

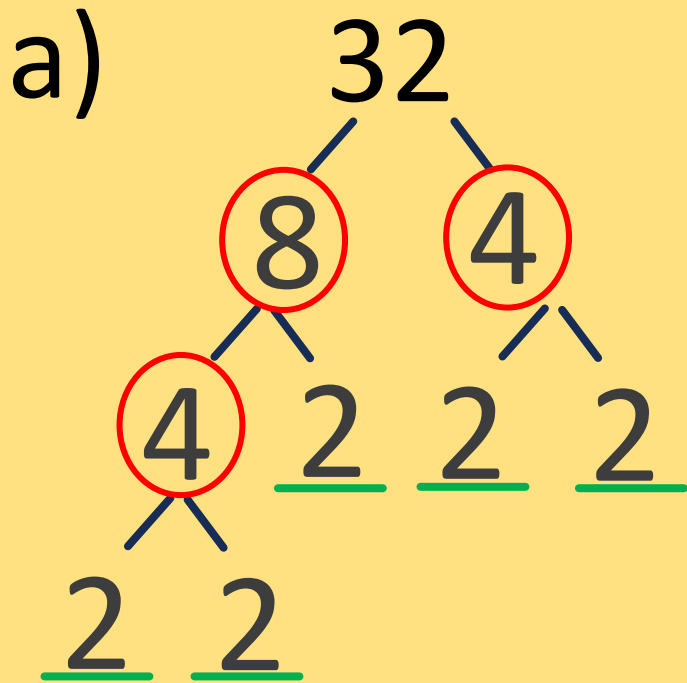
$$\text{c) } 8 \frac{2}{3} = \frac{26}{3}$$

$$\text{f) } 243 \frac{13}{27} = \frac{6574}{27}$$

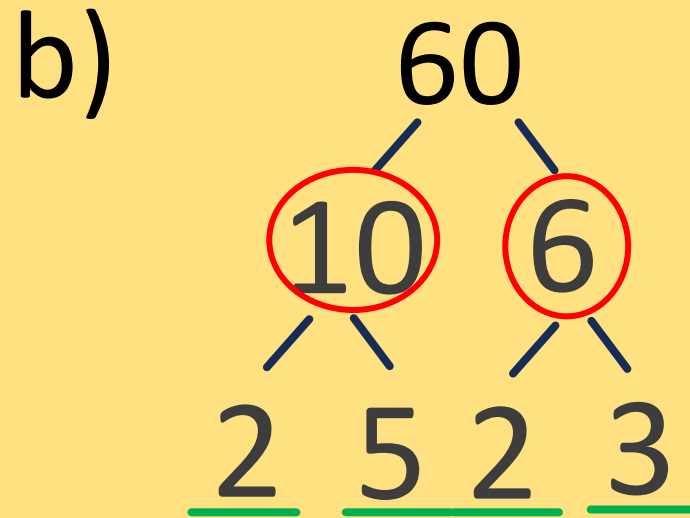
PRIME FACTORISATION

F

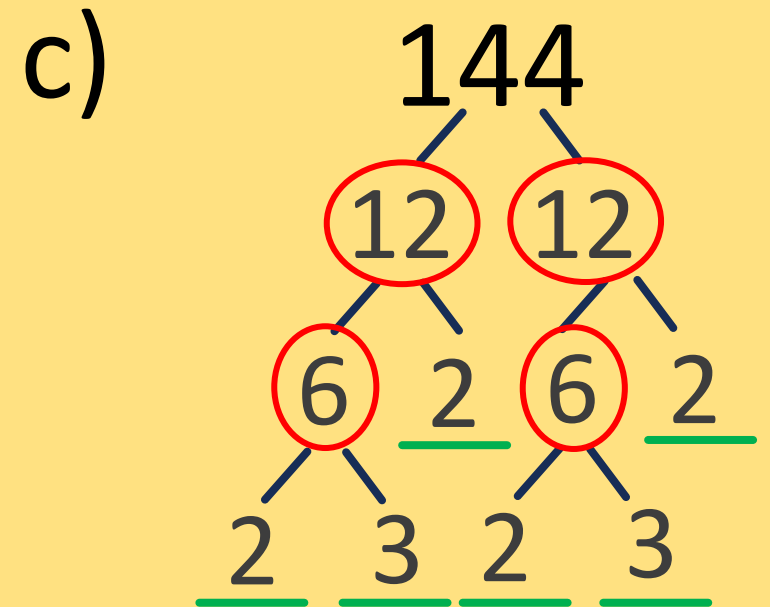
Create factor trees and determine the prime factors of the following numbers.



$$2 \times 2 \times 2 \times 2 \times 2 = 32$$
$$2^5 = 32$$



$$2 \times 5 \times 2 \times 3 = 60$$
$$2^2 \times 3 \times 5 = 60$$



$$2 \times 2 \times 2 \times 2 \times 3 \times 3 = 144$$
$$2^4 \times 3^2 = 144$$

PERIMETER

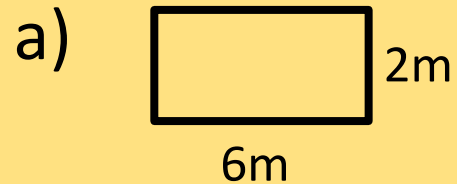
F

Perimeter is the total distance around a 2D shape.

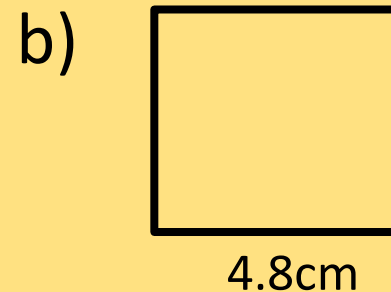
Square: $P = L + L + L + L$

Rectangle: $P = L + L + W + W$

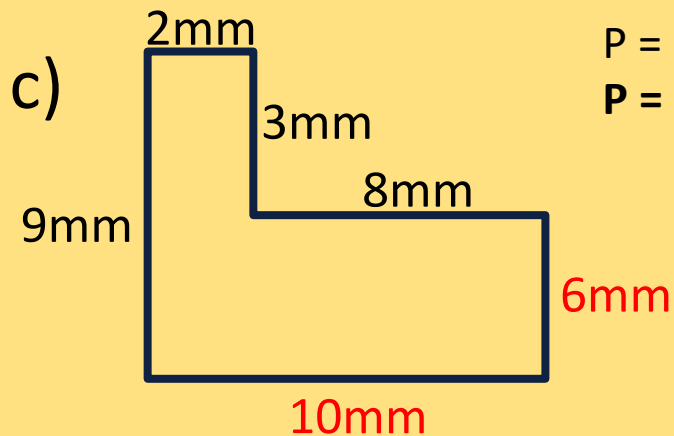
Irregular: $P = \text{total of all sides}$



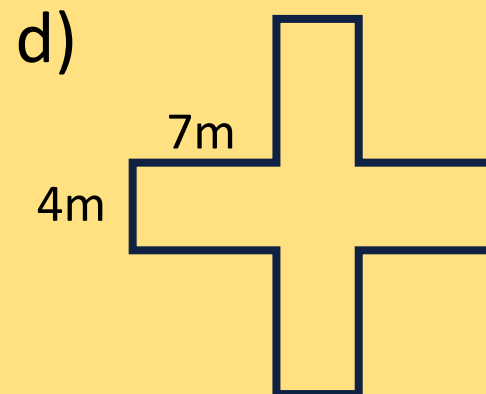
$$P = L + L + W + W$$
$$P = 6 + 6 + 2 + 2$$
$$P = 16\text{m}$$



$$P = 4.8 + 4.8 + 4.8 + 4.8$$
$$P = 19.2\text{cm}$$



$$P = 2 + 3 + 8 + 6 + 10 + 9$$
$$P = 38\text{mm}$$



$$P = 4 + 4 + 4 + 4 + 7 + 7 + 7 + 7$$
$$P = 72\text{m}$$

AREA

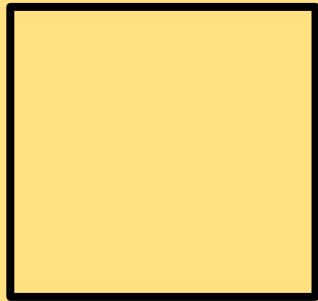
Th

Area is the total space inside a 2D shape.

Square: $A = L \times L$

Rectangle: $A = L \times W$

a)



8cm

$$A = L \times L$$

$$A = 8 \times 8$$

$$A = 64\text{cm}^2$$

b)



5mm

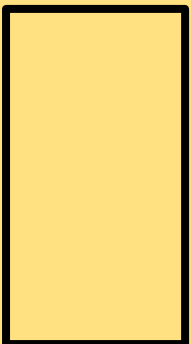
9mm

$$A = L \times W$$

$$A = 9 \times 5$$

$$A = 45\text{mm}^2$$

c)



23m

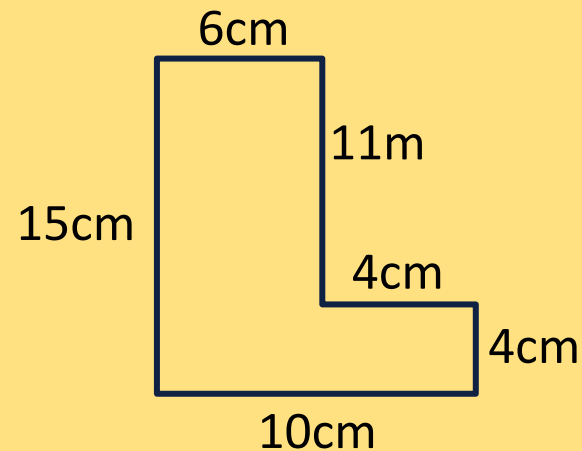
6m

$$A = L \times W$$

$$A = 6 \times 23$$

$$A = 138\text{m}^2$$

d)



$$A = 106\text{cm}^2$$

RESOURCES

- Booker, Bond, Sparrow & Swan
Teaching Primary Mathematics
- Stephen Norton videos and PDF:
Teaching And Learning Fundamental Mathematics
- Maths Model Drawing Made Easy and Inspiring

Q&A

PROBABILITY – INDEPENDENT EVENTS Th

Write the answer to these questions on your whiteboard.

- a) Rolling a number less than 6 with a 6-sided die. $\frac{5}{6}$
- b) Rolling a number greater than 7 with a 10-sided die. $\frac{3}{10}$
- c) Selecting the Ace of Hearts from a deck of cards. $\frac{1}{52}$
- d) Rolling a 7 with a 6-sided die. 0
- d) Getting green or orange on this spinner. $\frac{2}{5}$



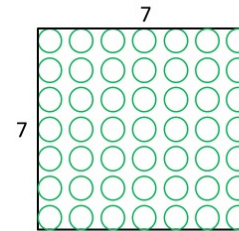
SQUARE NUMBERS Th

A **square number** is the product of a number multiplied by itself.

When presented as an array, a **square number** makes a square shape.

49 is a square number.

It is the result of 7 multiplied by itself.



SHORT DIVISION F

Solve the following problems using **short division**.

a) $4396 \div 3$

$$\begin{array}{r} 1465r1 \\ 3 \overline{) 4396} \\ \underline{4} \\ 3 \\ \underline{ 3} \\ 9 \\ \underline{ 9} \\ 6 \\ \underline{ 6} \\ 0 \end{array}$$

b) $573 \div 6$

$$\begin{array}{r} 95r3 \\ 6 \overline{) 573} \\ \underline{6} \\ 7 \\ \underline{ 6} \\ 3 \\ \underline{ 3} \\ 0 \end{array}$$

c) $49624 \div 7$

$$\begin{array}{r} 7089r1 \\ 7 \overline{) 49624} \\ \underline{7} \\ 9 \\ \underline{ 7} \\ 6 \\ \underline{ 6} \\ 2 \\ \underline{ 2} \\ 4 \\ \underline{ 4} \\ 0 \end{array}$$

d) $758476 \div 37$

$$\begin{array}{r} 20499r13 \\ 37 \overline{) 758476} \\ \underline{7} \\ 5 \\ \underline{ 7} \\ 8 \\ \underline{ 7} \\ 4 \\ \underline{ 4} \\ 7 \\ \underline{ 7} \\ 6 \\ \underline{ 6} \\ 0 \end{array}$$

Twitter: @DaveMorkunas